63/1 (Sem-4) CC10/PHLHC4106

2024

PHILOSOPHY

Paper: PHLHC4106

(Truth Functional Logic: Propositional and Predicate)

Full Marks: 80

Pass Marks: 32

Time: Three hours

The figures in the margin indicate full marks for the questions.

- 1. Choose the correct answer from the following: (any six) 1×6=6
 - (a) Logic is the study of _____
 - (i) beauty
 - (ii) wealth
 - (iii) thought
 - (iv) None of the above

- (b) The name of the Symbol "v" is
- (i) curl
 - (ii) dot
 - (iii) vel
 - (iv) None of the above
- (c) In implicative truth function $(p \supset q)$ is false under the condition of
 - (i) If both the variable are true
 - (ii) If both the variable are false
 - (iii) If the antecedent variable is true and the consequent variable is false
 - (iv) None of the above
- (d) The book authored by P. F. Strawson is
 - (i) Introduction to Symbolic Logic
 - (ii) Introduction to Logic
 - (iii) Introduction to Logical Theory
 - (iv) None of the above
- (e) How many rules of inference are there?
 - (i) 10
 - (ii) :
 - (iii) 9
 - (iv) 4

(f) $p \lor q$ $\sim p$

∴ q

- The name of above rule is called
 - (i) Disjunctive Syllogism
 - (ii) Conjunctive
- (iii) Symplification
- (iv) None of the above
- (g) The Latin name of Modus Tollens is
 - (i) Modus Ponens
 - (ii) Modus Tollendo
 - (iii) Hypothetical Syllogism
 - (iv) None of the above
- (h) The symbol "~" is
 - (i) Propositional variable
 - (ii) Logical constant
 - (iii) Both propositional variable and logical constant
- (iv) None of the above(i) The word "quantification" was
 - introduced by
 - (i) Aristotle
 - (ii) Charles Pierce

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- (iii) John Venn
- (iv) None of the above
- The phrase "Given any x" is known as (i)
 - Existential quantifier
 - Universal quantifier (ii)
 - Propositional function (iii)
 - None of the above
- Write short notes on: (any five) 2×5=10 2.
 - Logical variable (a)
 - Predicate logic (b)
 - Truth table (c)
 - Tautology statement (d)
 - (e) Contradictory statement
 - (f)Ouantifier
 - (g) Propositional function
- Answer the following questions: (any six) 5×6=30
 - Name any five rules of inference. (a)
 - Symbolize the following singular (b) propositions: $1 \times 5 = 5$
 - Ram is wise.
 - Socrates is mortal. (ii)

- Descartes is human. (iii)
- Boston is not human.
- Aristotle is intelligent.
- What is truth functions? Explain conjunctive and disjunctive truth functions with truth table.
- Prove the validity or invalidity of the given statements using shorter truthtable method. 2+3=5
- $\sim p \vee \sim q$ constants with the he q of traff table Distinguish between Pro:
 - $p \vee q$ are land the eggs to be a : pr $q \vee r$
- (e) Why is truth table method called a decision procedure?
- Prove the invalidity of each of the following arguments by the method of assigning truth values:
 - A > B at st galativisva im (i) C > D . serie man simple . lui $B \vee C$ $A \vee D$

(ii)
$$E\supset (F\vee G)$$

 $G\supset (H\cdot I)$
 $\sim H$
 $\therefore E\supset I$

- (g) What is formal proof of validity?
- (h) What is the difference between propositional logic and predicative logic?
- (i) Explain interdefinability of logical constants with the help of truth table.
- (j) Distinguish between logical constant and propositional variable.
- 4. Answer the following questions: (any two) 10×2=20
 - (a) Symbolize the following statements by using quantifier: 2×5=10
 - (i) Some men are honest.
 - (ii) All mangoes are sweet.
 - (iii) Everything is movable.
 - (iv) Some men are not intelligent.
 - (v) No philosophers are scientists.

(b) Construct truth table of the following compound expressions and determine whether they are tautologies, contradictory and contingent: 5+5=10

(i)
$$\sim (p \supset q)$$

(ii)
$$\sim p \supset \sim (p \cdot q)$$

(c) Construct truth table and determine the validity or invalidity of the following arguments:

(i)
$$p \supset q$$

 $\sim p$
 $\therefore \sim q$

(ii)
$$p \lor q$$

 $\sim p$
 $\therefore q$

(d) Construct the formal proof of validity: 5+5=10

(i)
$$A \supset B$$

 $C \supset D$
 $(\sim B \lor \sim D) \cdot (\sim A \lor \sim B)$
 $\therefore \sim A \lor \sim C$

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(ii)
$$A \supset B$$

 $A \lor (B \lor \sim C)$
 $\sim B$
 $\therefore \sim C \cdot \sim B$

- 5. Answer elaborately **any one** of the following:
 - (a) What are the basic differences between the rules of inference and the rules of replacement? Discuss.
 - (b) What is quantification? Discuss AEIO propositions by means of quantifiers.
 - (c) How can we test the validity of argument by the truth table?